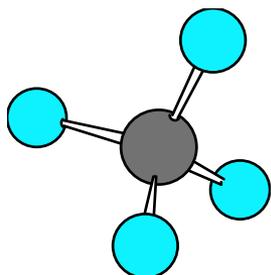
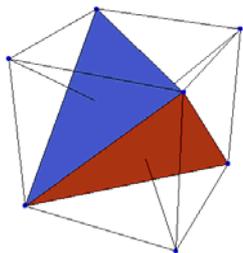
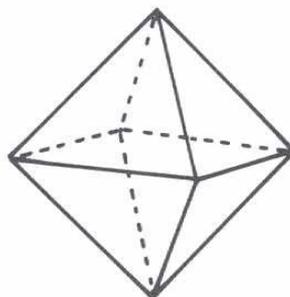
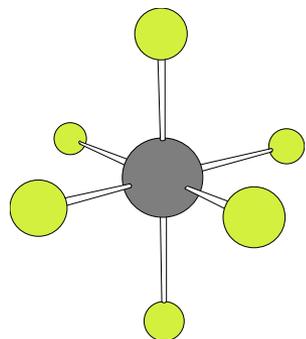


## Special cases:

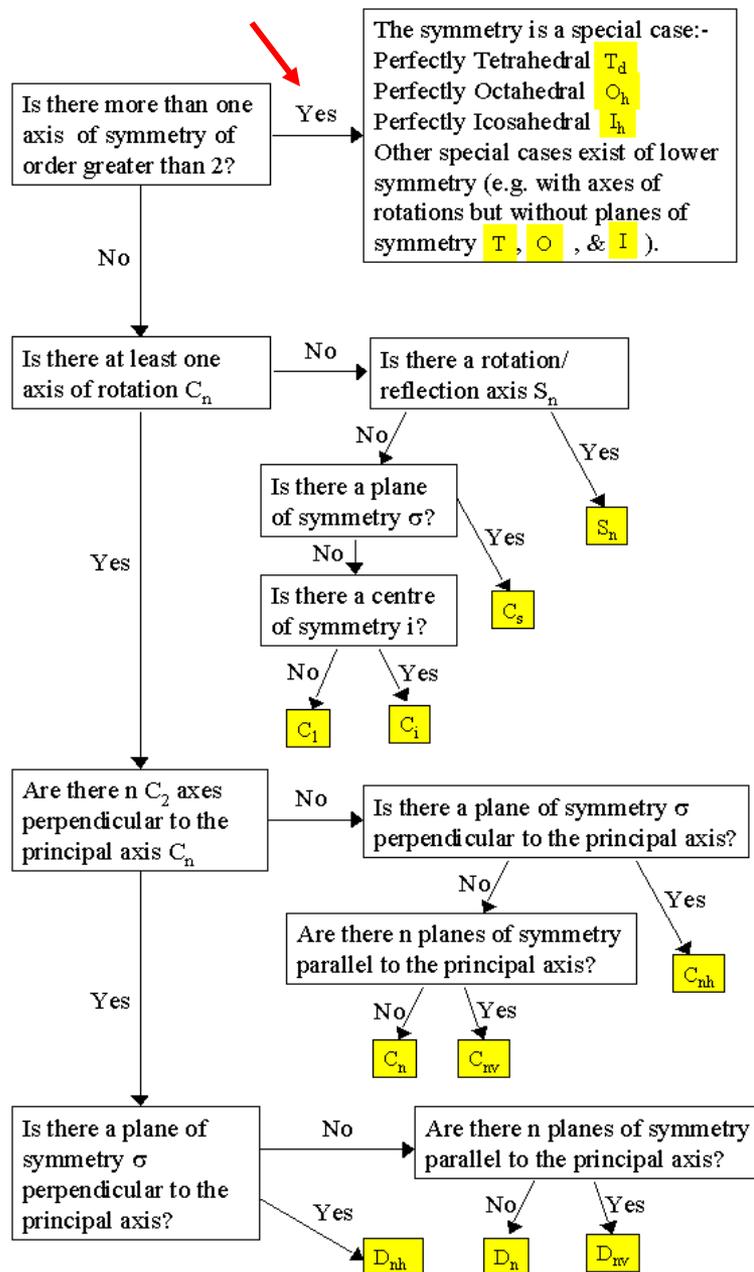
**Perfect tetrahedral ( $T_d$ )** e.g.  $P_4$ ,  $CH_4$



**Perfect octahedral ( $O_h$ )** e.g.  $SF_6$ ,  $[B_6H_6]^{-2}$



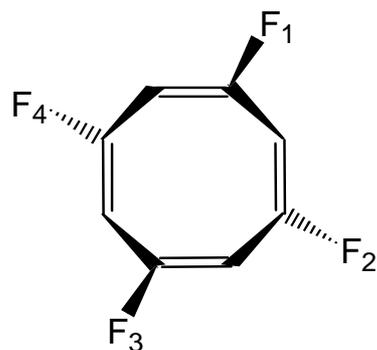
**Perfect icosahedral ( $I_h$ )** e.g.  $[B_{12}H_{12}]^{-2}$ ,  $C_{60}$



Low symmetry groups:

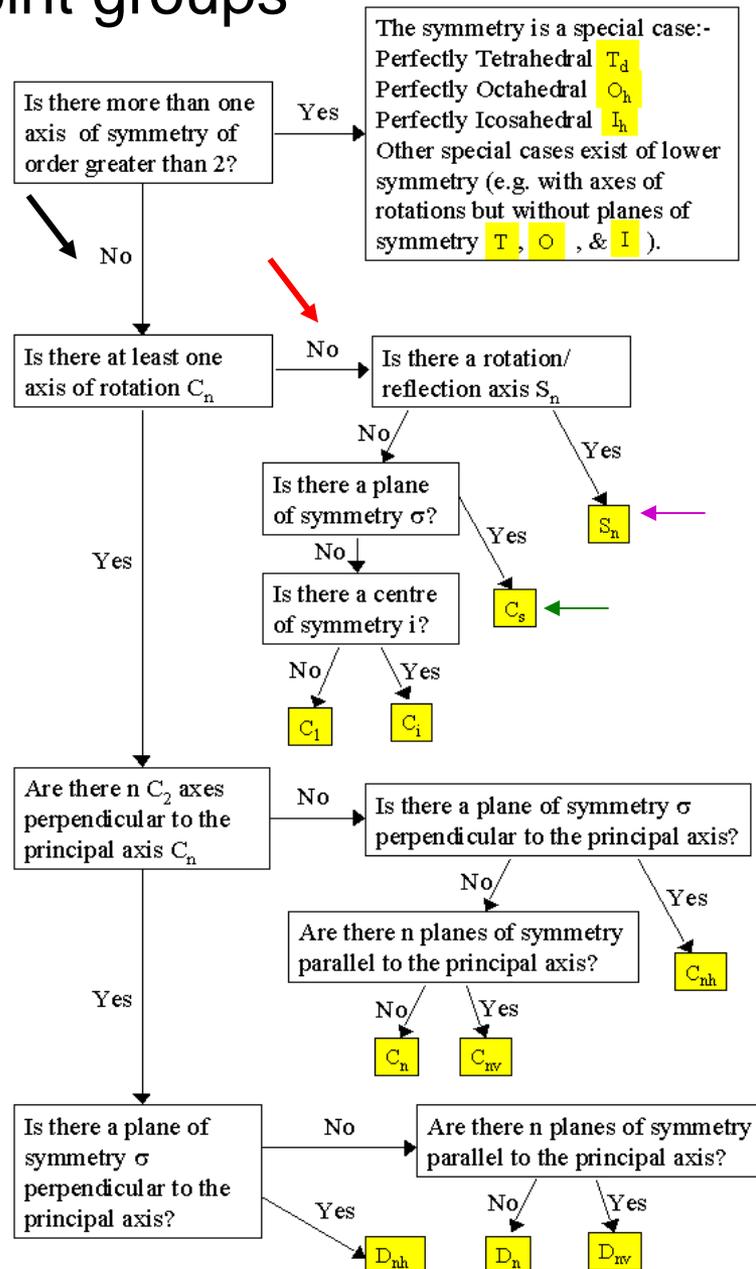
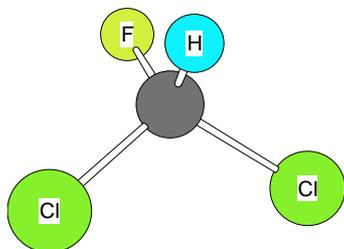
Only\* an improper axis ( $S_n$ ) ←

e.g. 1,3,5,7-tetrafluoroCOT,  $S_4$



Only a mirror plane ( $C_s$ ) ←

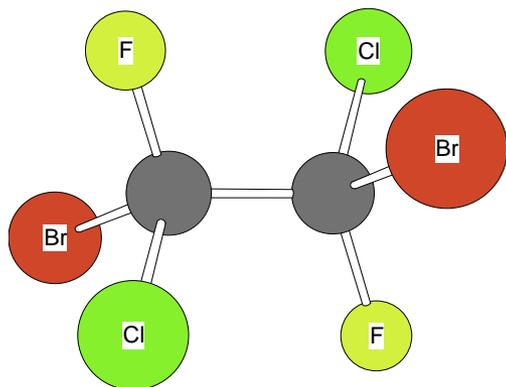
e.g.  $\text{CHFCl}_2$



Low symmetry groups:

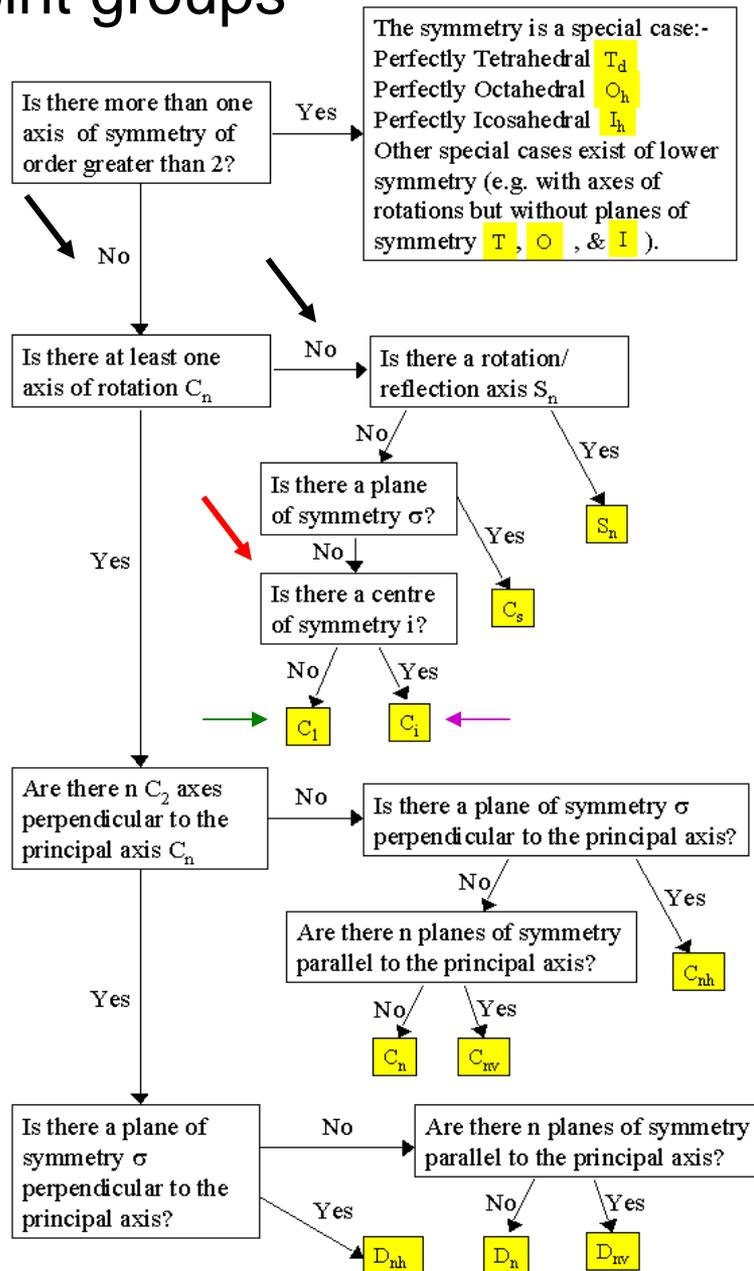
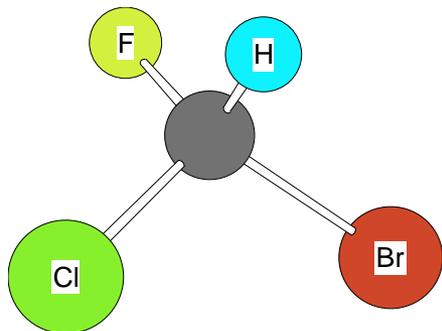
Only an inversion center ( $C_i$ )

e.g. (conformation is important !)



No symmetry ( $C_1$ )

e.g. CHFCIBr

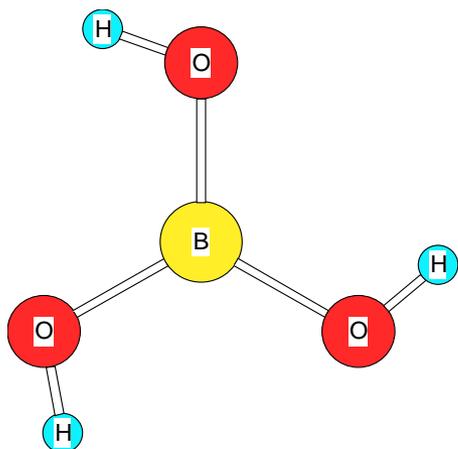


# Identifying point groups

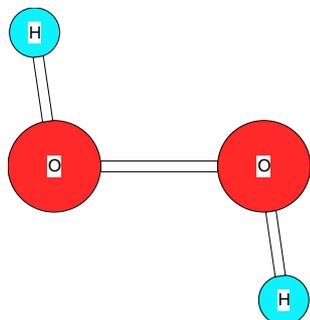
$C_n$  type groups:

A  $C_n$  axis and a  $\sigma_h$  ( $C_{nh}$ )

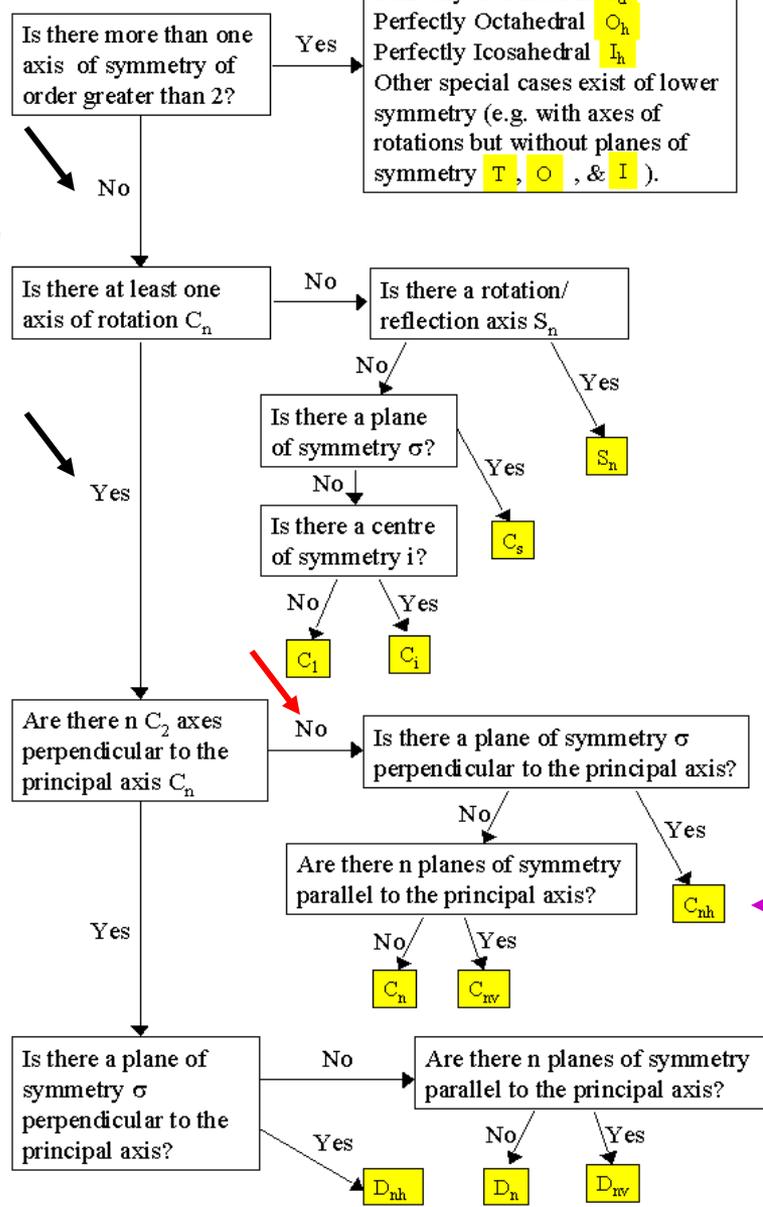
e.g.  $B(OH)_3$  ( $C_{3h}$ , conformation is important !)



e.g.  $H_2O_2$  ( $C_{2h}$ , conformation is important !)



The symmetry is a special case:-  
 Perfectly Tetrahedral  $T_d$   
 Perfectly Octahedral  $O_h$   
 Perfectly Icosahedral  $I_h$   
 Other special cases exist of lower symmetry (e.g. with axes of rotations but without planes of symmetry  $T$ ,  $O$ , &  $I$ ).



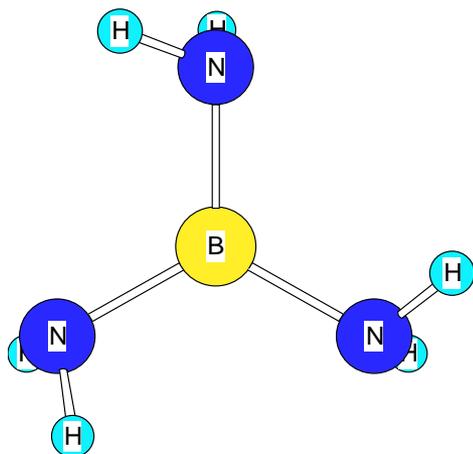
Note: molecule does not have to be planar e.g.  $B(NH_2)_3$  ( $C_{3h}$ , conformation is important !)

# Identifying point groups

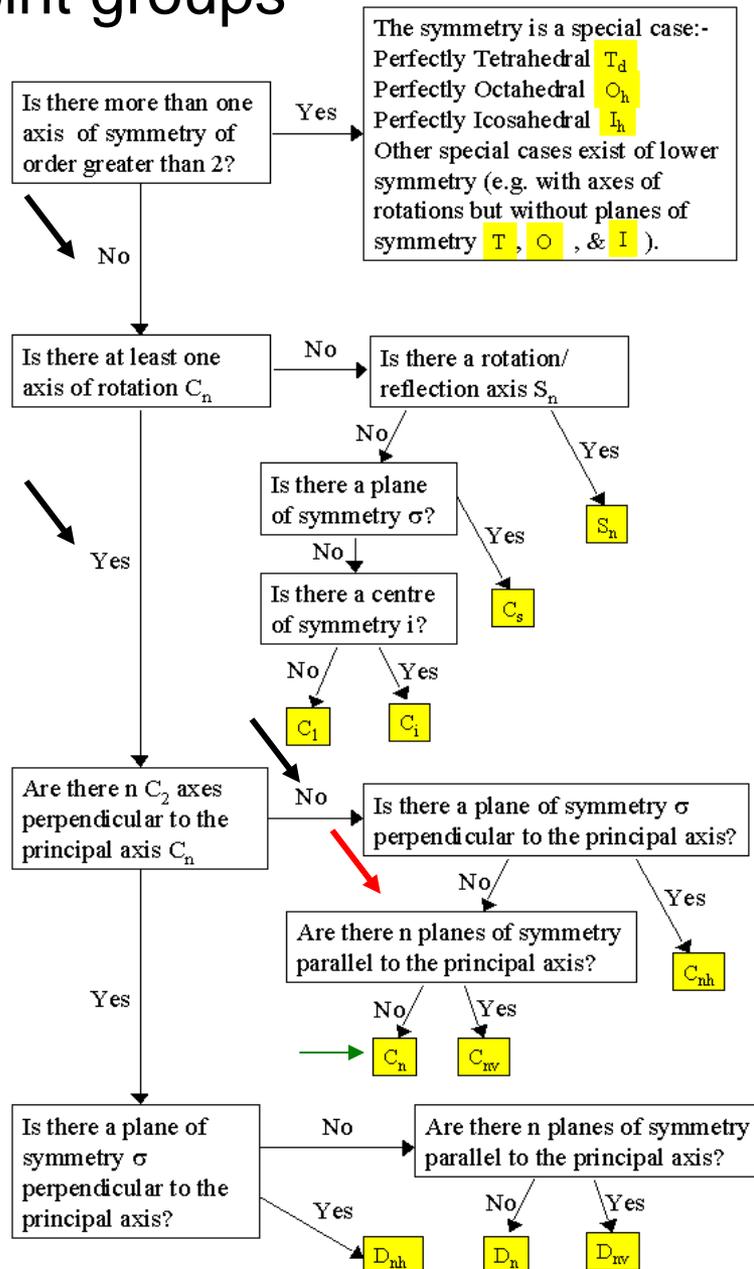
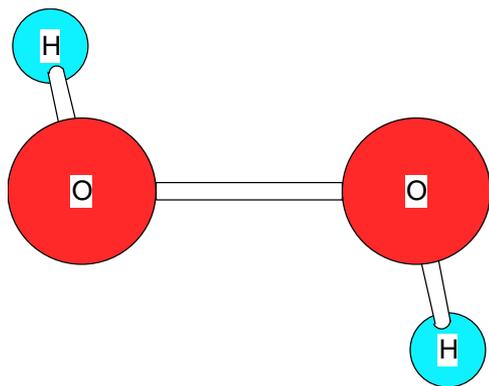
$C_n$  type groups:

Only a  $C_n$  axis ( $C_n$ ) ←

e.g.  $B(NH_2)_3$  ( $C_3$ , conformation is important !)



e.g.  $H_2O_2$  ( $C_2$ , conformation is important !)

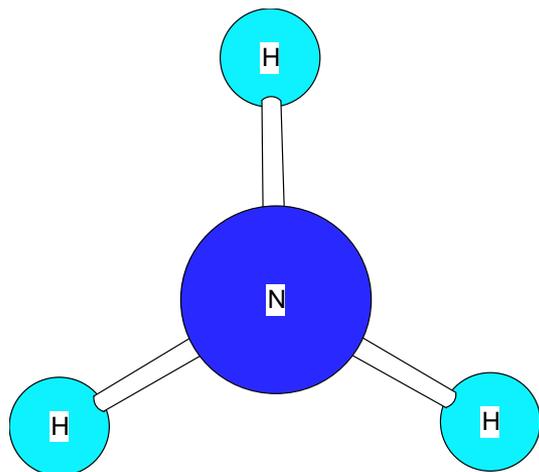


# Identifying point groups

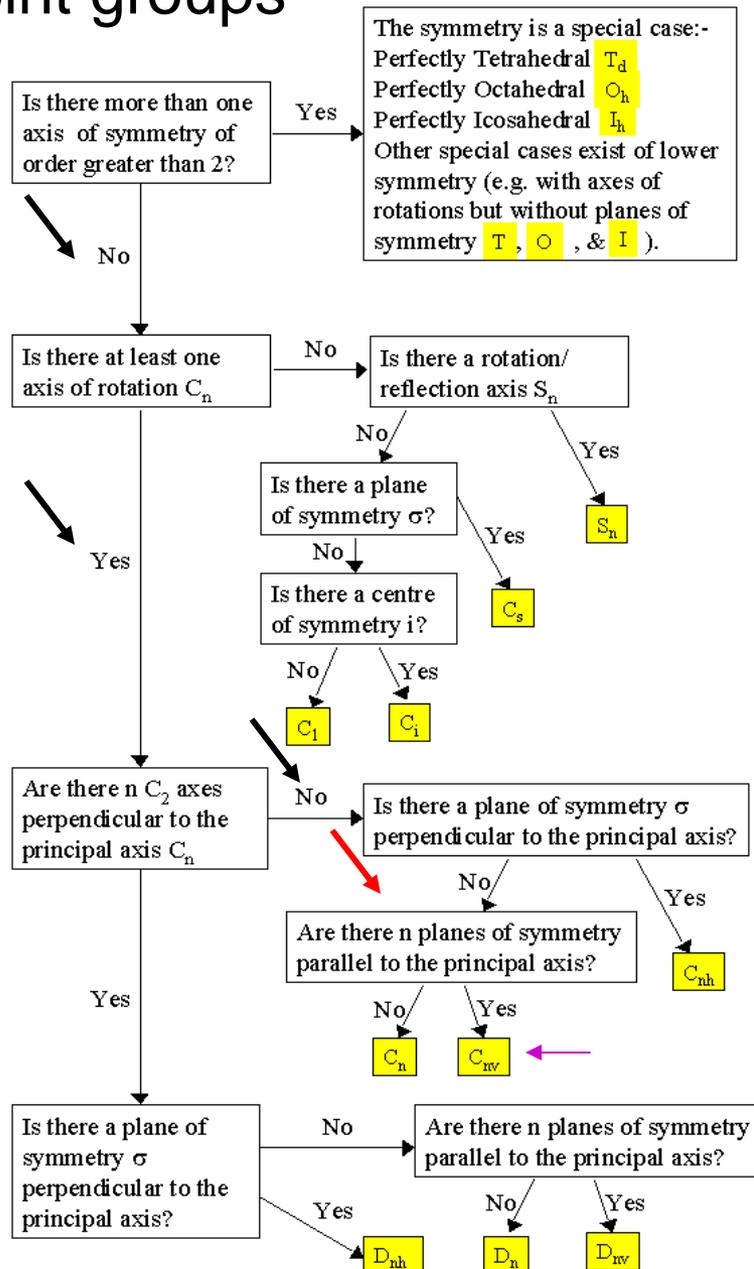
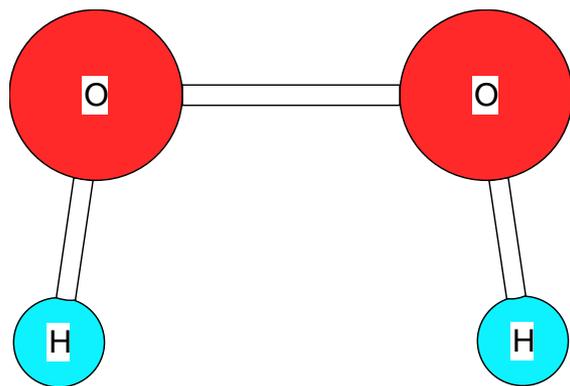
$C_n$  type groups:

A  $C_n$  axis and a  $\sigma_v$  ( $C_{nv}$ ) ←

e.g.  $\text{NH}_3$  ( $C_{3v}$ )



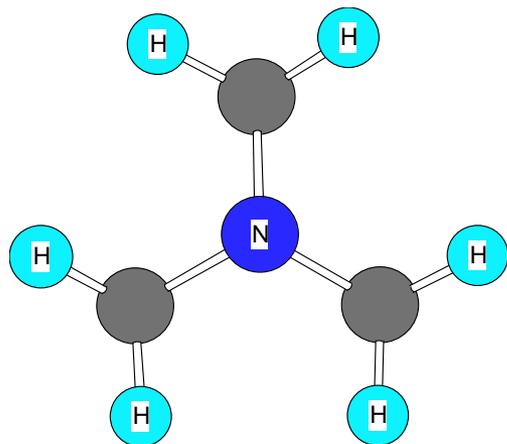
e.g.  $\text{H}_2\text{O}_2$  ( $C_{2v}$ , conformation is important !)



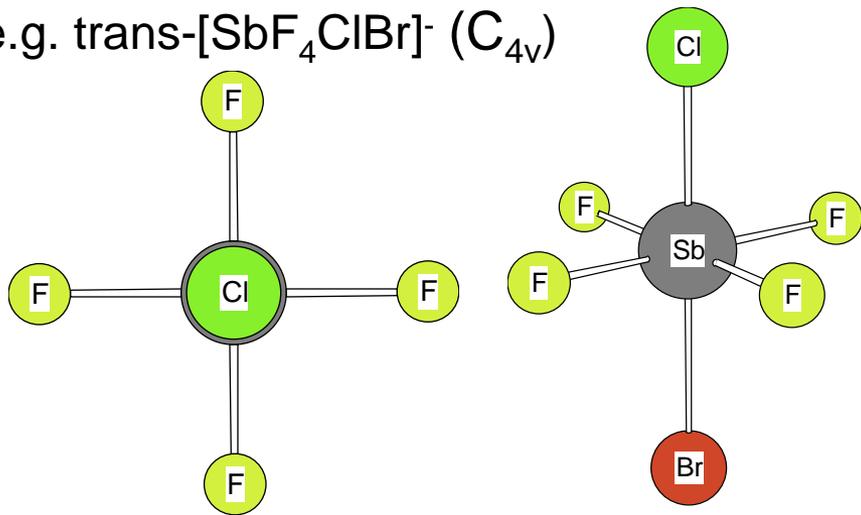
$C_n$  type groups:

A  $C_n$  axis and a  $\sigma_v$  ( $C_{nv}$ )

e.g.  $\text{NH}_3$  ( $C_{3v}$ , conformation is important !)

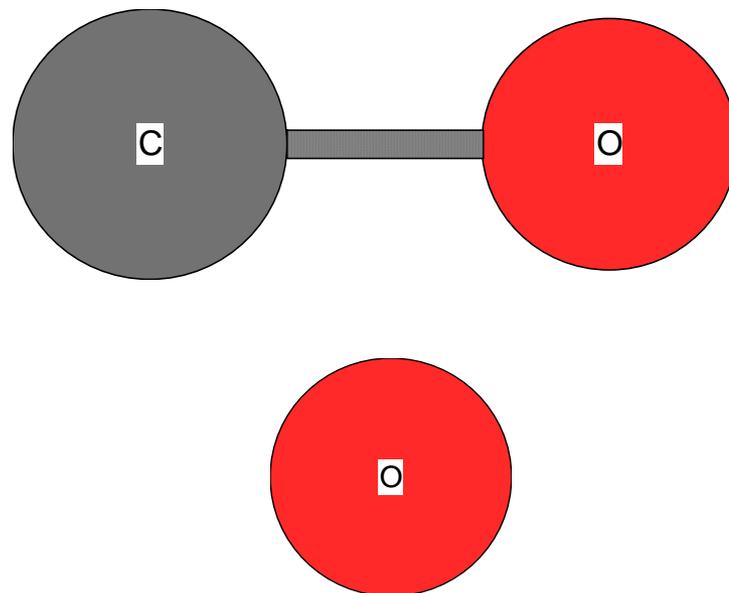


e.g.  $\text{trans-}[\text{SbF}_4\text{ClBr}]^-$  ( $C_{4v}$ )



e.g. carbon monoxide,  $\text{CO}$  ( $C_{\infty v}$ )

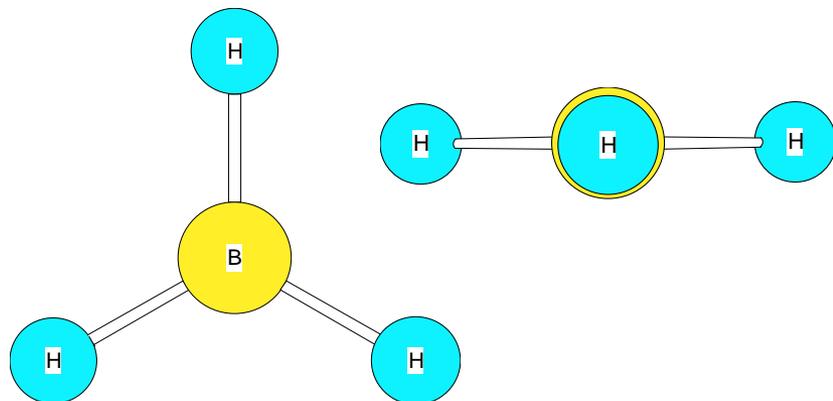
There are an infinite number of possible  $C_n$  axes and  $\sigma_v$  mirror planes.



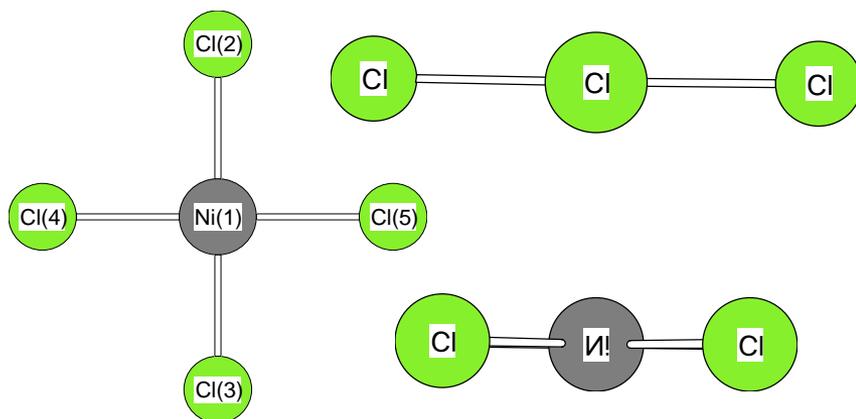
$D_n$  type groups:

A  $C_n$  axis,  $n$  perpendicular  $C_2$  axes and a  $\sigma_h$  ( $D_{nh}$ ) ←

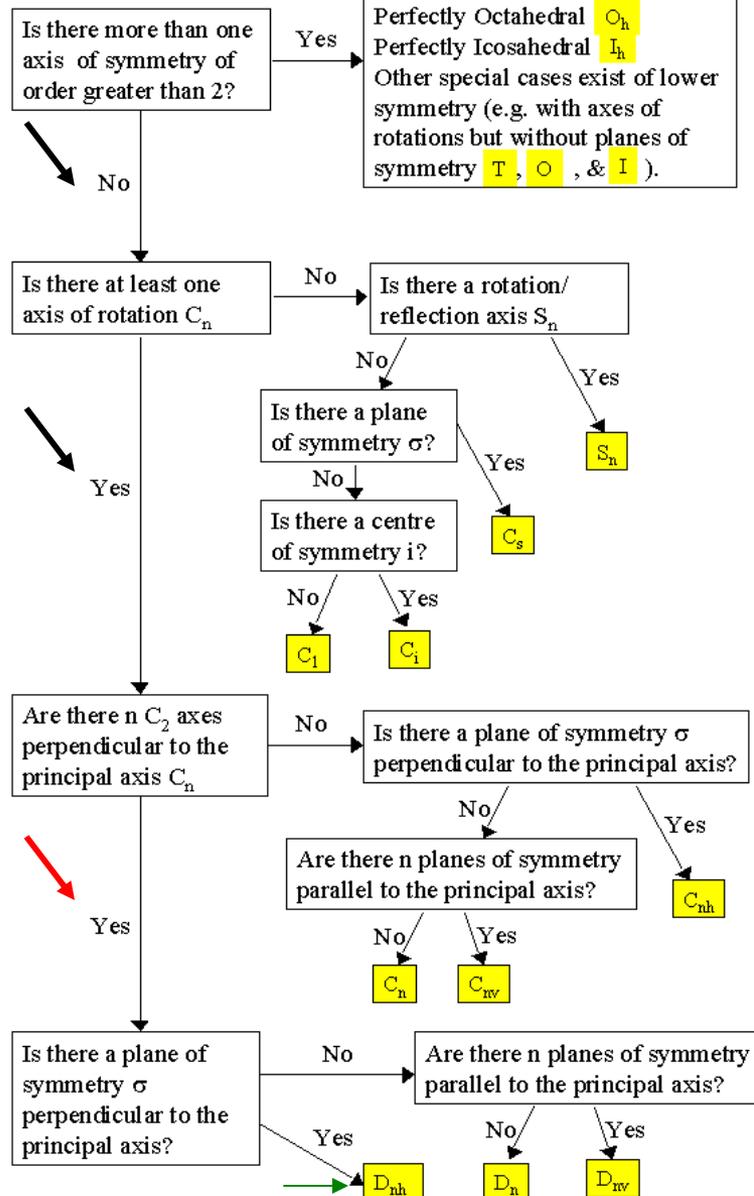
e.g.  $BH_3$  ( $D_{3h}$ )



e.g.  $NiCl_4$  ( $D_{4h}$ )



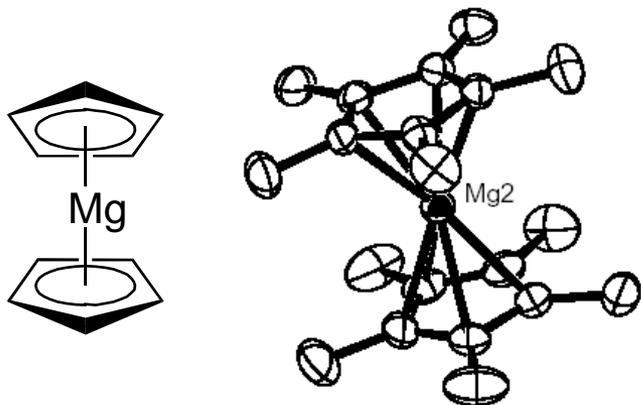
The symmetry is a special case:-  
 Perfectly Tetrahedral  $T_d$   
 Perfectly Octahedral  $O_h$   
 Perfectly Icosahedral  $I_h$   
 Other special cases exist of lower symmetry (e.g. with axes of rotations but without planes of symmetry  $T$ ,  $O$ , &  $I$ ).



$D_n$  type groups:

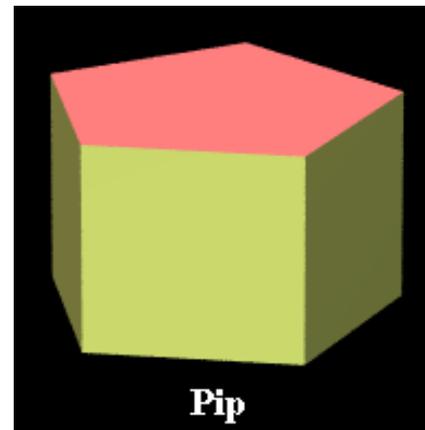
A  $C_n$  axis,  $n$  perpendicular  $C_2$  axes and a  $\sigma_h$  ( $D_{nh}$ )

e.g.  $Mg(\eta^5-Cp)_2$  ( $D_{5h}$  in the *eclipsed* conformation)



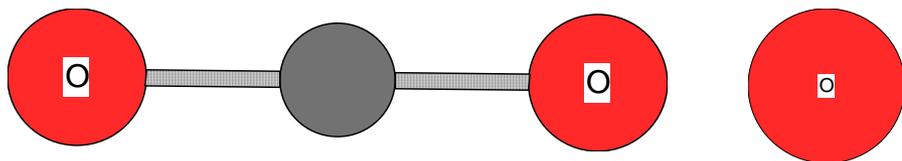
View down the  $C_5$  axis

e.g. pentagonal prism ( $D_{5h}$ )

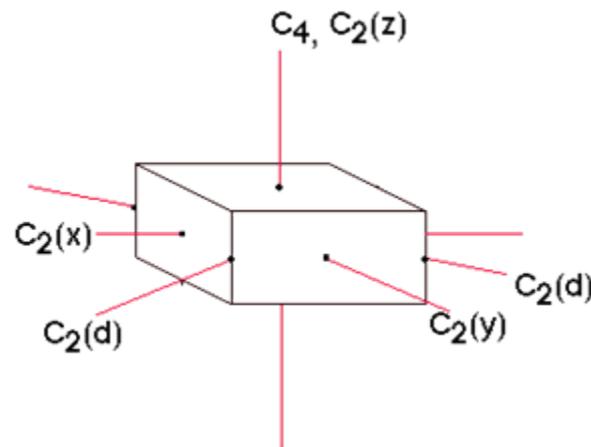


e.g. carbon dioxide,  $CO_2$  or  $N_2$  ( $D_{\infty h}$ )

There are an infinite number of possible  $C_n$  axes and  $\sigma_v$  mirror planes in addition to the  $\sigma_h$ .



e.g. square prism ( $D_{4h}$ )

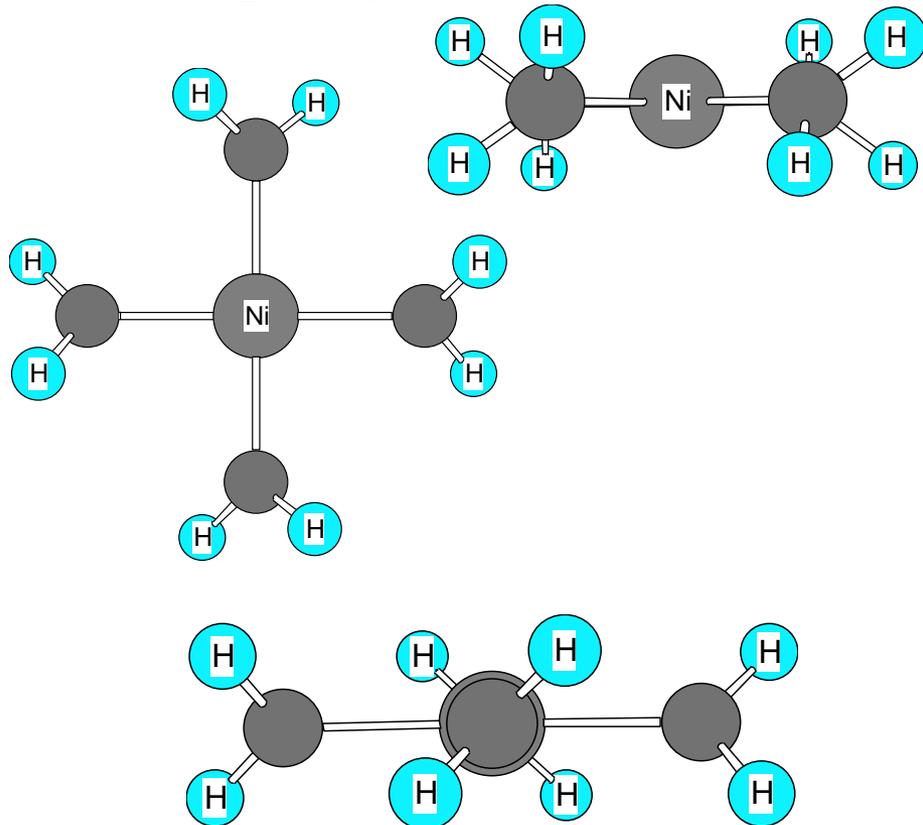


$D_n$  type groups:

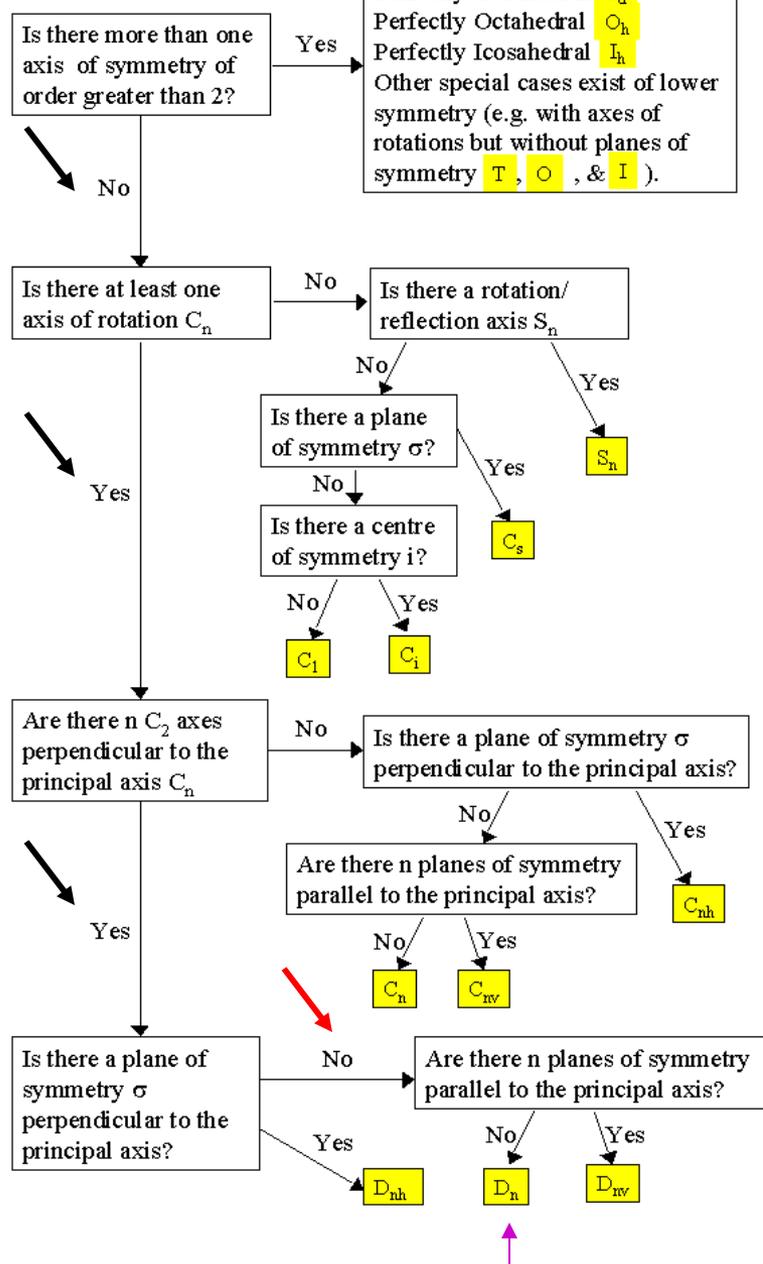
A  $C_n$  axis,  $n$  perpendicular  $C_2$  axes and **no mirror planes** ( $D_n$ )

-propellor shapes

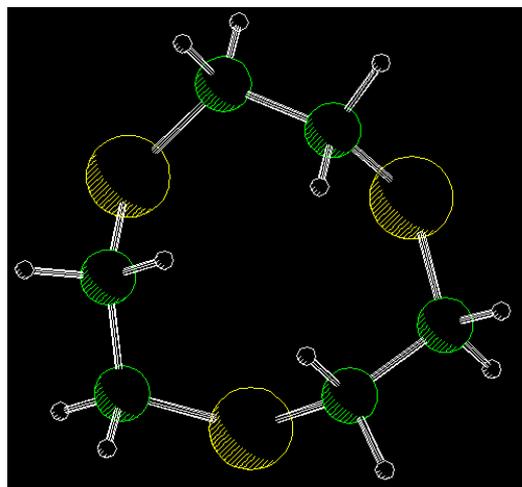
e.g.  $Ni(CH_2)_4$  ( $D_4$ )



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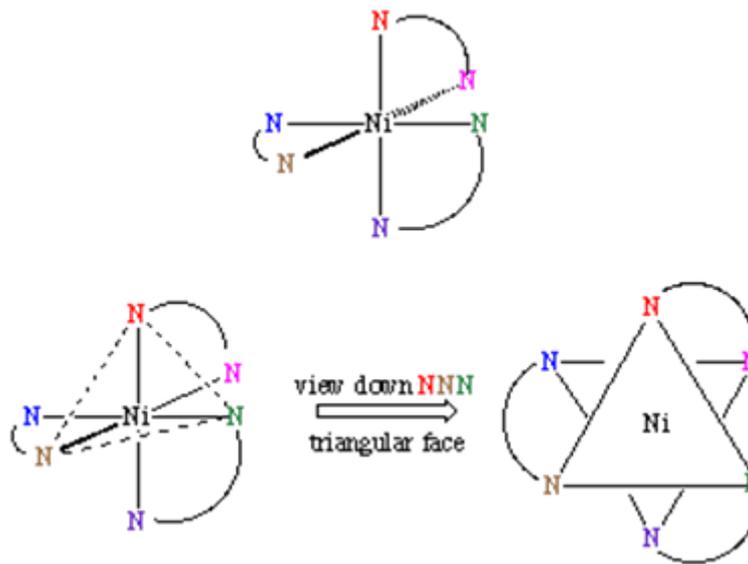
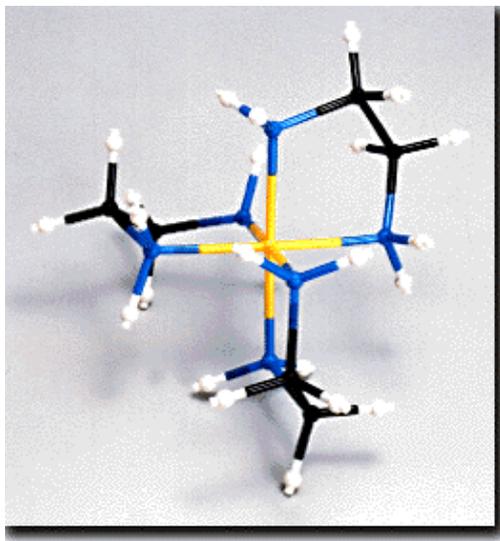
e.g.  $(\text{SCH}_2\text{CH}_2)_3$  ( $D_3$  conformation is important!)



e.g. propellor ( $D_3$ )



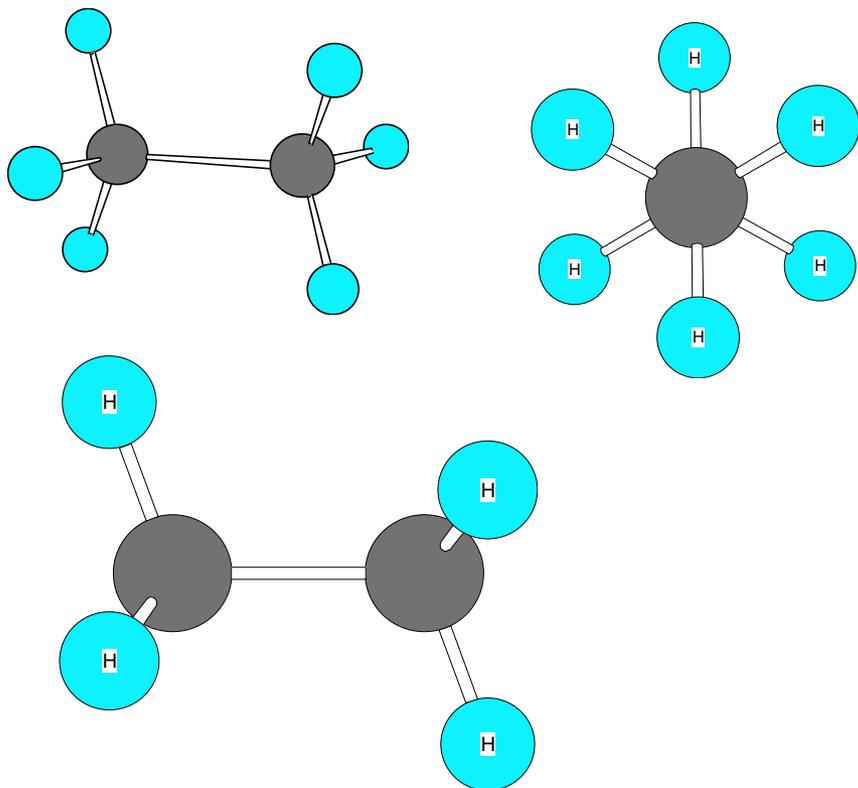
e.g.  $\text{Ni}(\text{en})_3$  ( $D_3$  conformation is important!)  $\text{en} = \text{H}_2\text{NCH}_2\text{CH}_2\text{NH}_2$



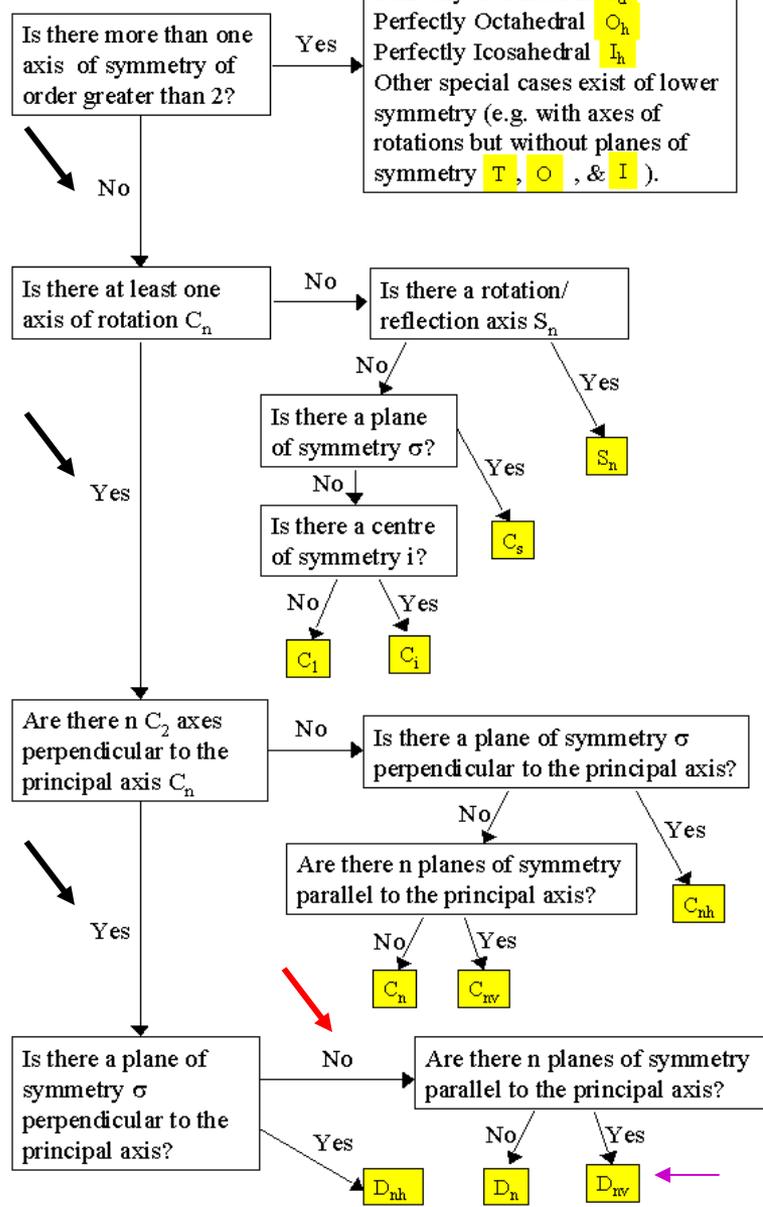
*D<sub>n</sub> type groups:*

A  $C_n$  axis,  $n$  perpendicular  $C_2$  axes and a  $\sigma_d$  ( $D_{nd}$ )

e.g. ethane,  $H_3C-CH_3$   
( $D_{3d}$  in the staggered conformation)

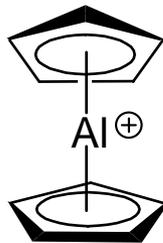
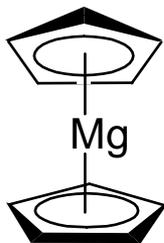
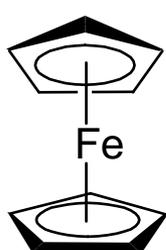


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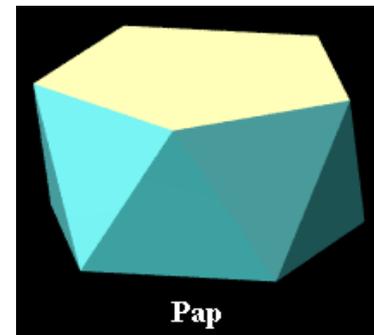


*dihedral* means between sides or planes – this is where you find the  $C_2$  axes

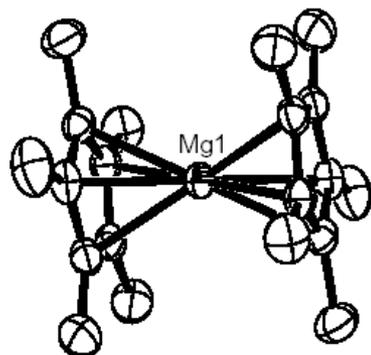
e.g.  $\text{Mg}(\eta^5\text{-Cp})_2$  and other metallocenes in the staggered conformation ( $D_{5d}$ )



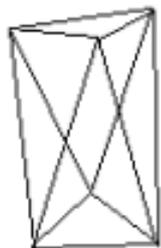
View down the  $C_5$  axis



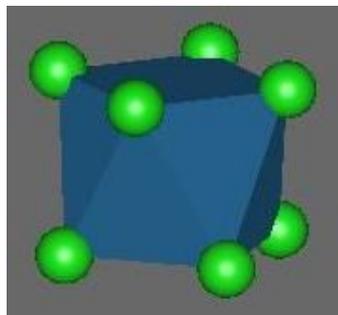
These are pentagonal antiprisms



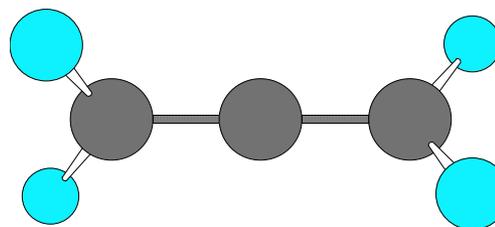
e.g. triangular antiprism ( $D_{3d}$ )



e.g. square antiprism ( $D_{4d}$ )

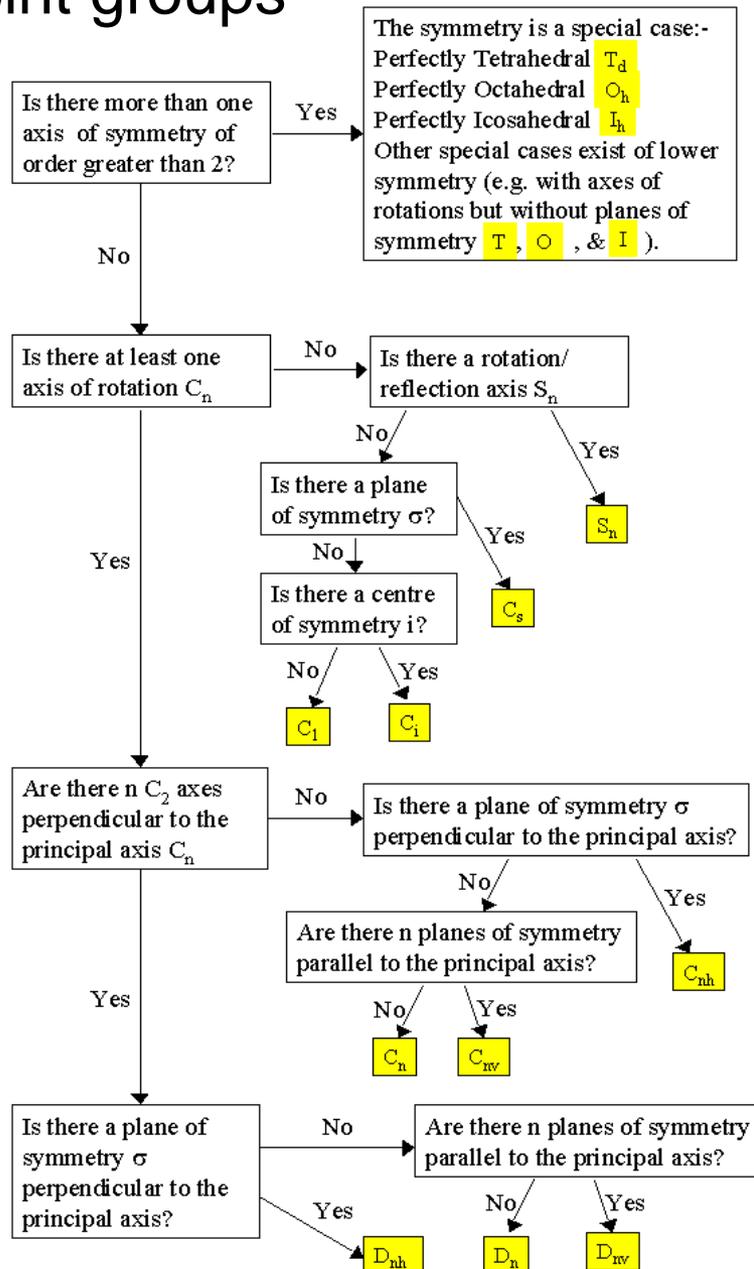


e.g. allene or a tennis ball ( $D_{2d}$ )



We can use a flow chart such as this one to determine the point group of any object. The steps in this process are:

1. Determine the symmetry is special (e.g. tetrahedral).
2. Determine if there is a principal rotation axis.
3. Determine if there are rotation axes perpendicular to the principal axis.
4. Determine if there are mirror planes and where they are.
5. Assign point group.



# Chem 59-250 NMR Spectroscopy and Symmetry

One type of spectroscopy that provides us structural information about molecules is Nuclear Magnetic Resonance (NMR) spectroscopy. An understanding of symmetry helps us to understand the number and intensity of signals we will observe.

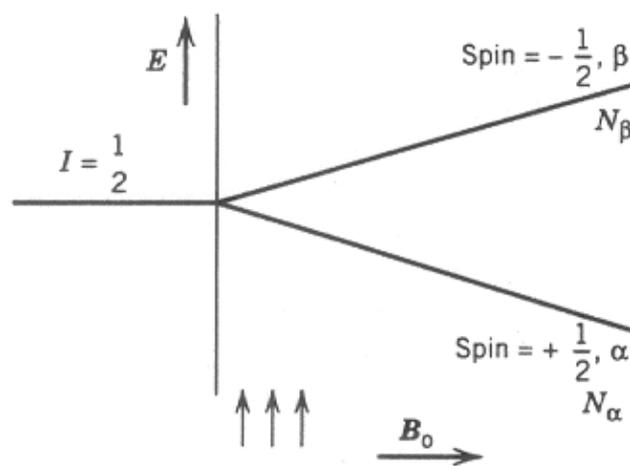
As with electrons, nuclei also have a spin quantum number,  $I$ . When  $I = 1/2$ , the possible values are  $+1/2$  and  $-1/2$ . **In a magnetic field**, the nuclei have slightly different energies; we can measure this difference,  $\Delta E$ , to produce a spectrum. The actual  $\Delta E$  for a nucleus depends on the strength of the magnetic field and on its **exact molecular environment** so these are typically reported as a field-independent chemical shift,  $\delta$ . Since the differences in the energies of signals that are observed are very small, the chemical shift is reported in parts per million (ppm) with respect to a reference compound selected for each nucleus:  $\delta = [(v_{\text{obs}} - v_{\text{ref}}) \times 10^6] / v_{\text{ref}}$ . In practice, *only atoms that are related by symmetry will have the same **chemical shift***.

$$\Delta E = (h\nu/2\pi)B_0$$

$h$  = Planck's constant

$B_0$  = strength of the magnetic field

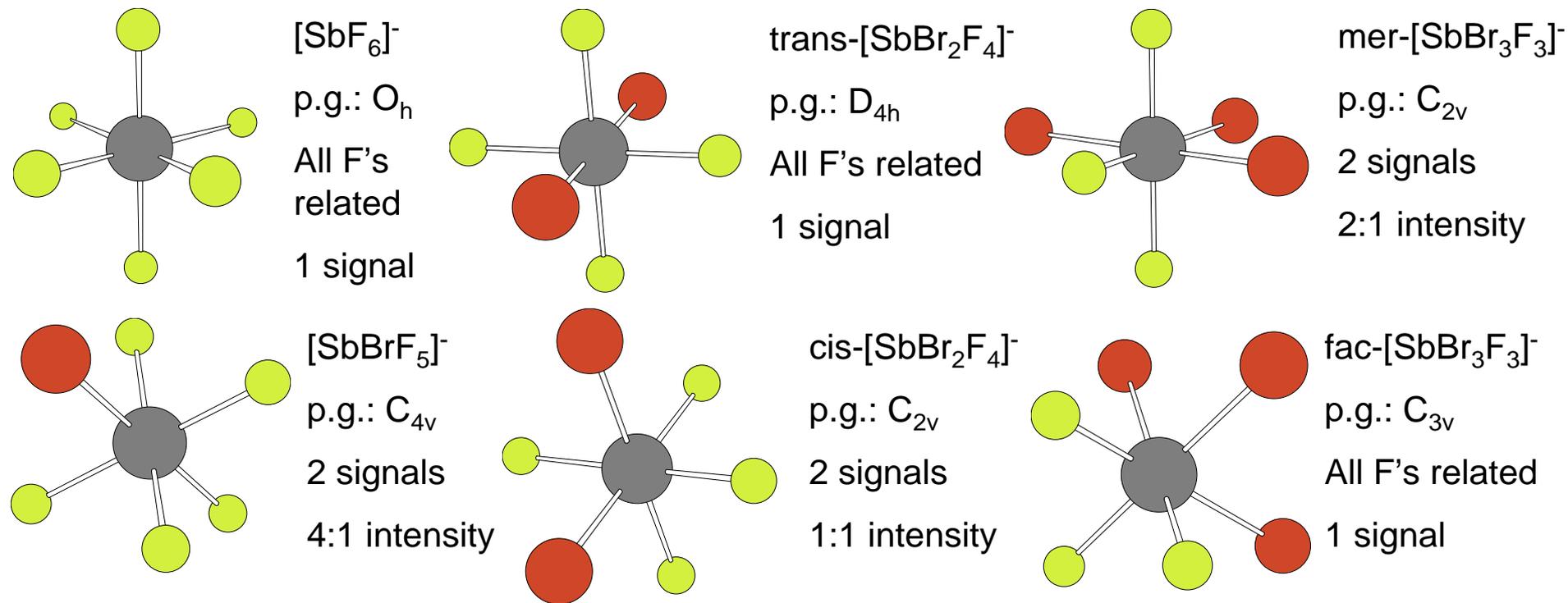
$\nu$  = frequency of signal (radio frequency)



This means that the number of signals in a spectrum tells provides the number of nuclei that are not related by symmetry and the relative intensity of each signal is proportional to the number of nuclei that are related to each other by symmetry.

# Chem 59-250 NMR Spectroscopy and Symmetry

This means that we can determine the symmetry of a molecule based on the number of signals that we see in the appropriate NMR spectrum (or vice versa). As an example, here are the number of signals that we would predict for the  $^{19}\text{F}$  NMR spectrum of a series of hexa-haloantimonate anions.



**This is a gross oversimplification!** NMR is one of the most powerful spectroscopic techniques and you will get much more detailed treatments in other classes. Read H&S 3.11 to get an idea of what other information is provided by multinuclear NMR spectroscopy (e.g. homonuclear and heteronuclear coupling, dynamic processes, etc.) that we will ignore. For the purposes of this course, we will assume that the structures of the molecules are static and that there is no coupling.